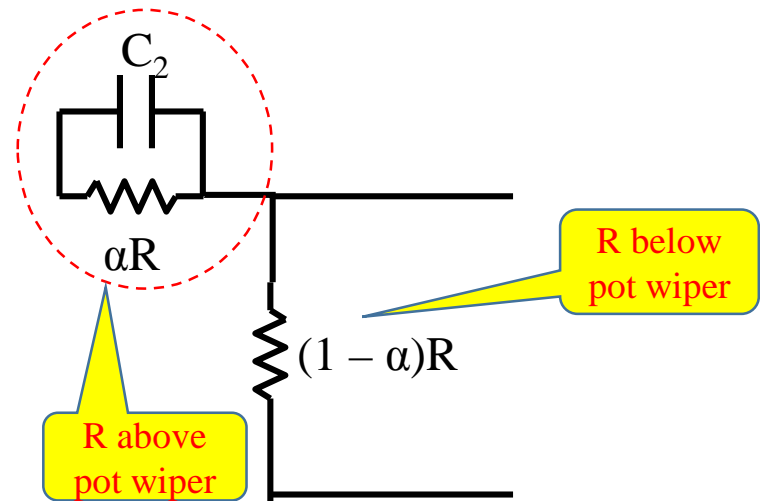
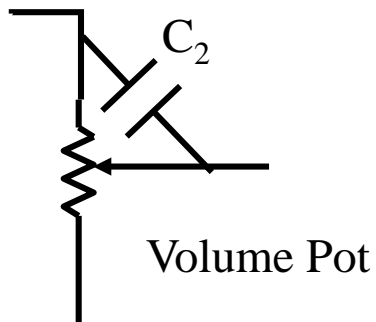


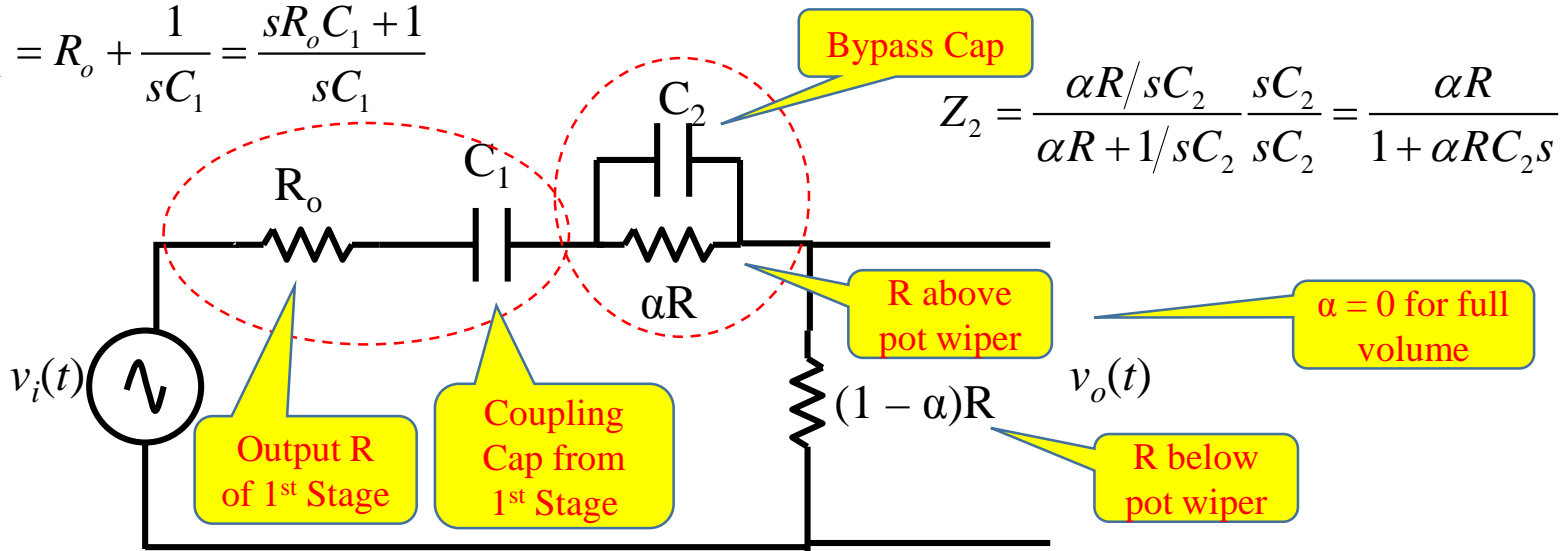
Next stage's
Input Impedance
Effectively Infinite

Thevenin Model
of First Stage:
 $R_o \approx 38k$ output
resistance of stage



$$Z_1 = R_o + \frac{1}{sC_1} = \frac{sR_oC_1 + 1}{sC_1}$$

$$Z_2 = \frac{\alpha R / sC_2}{\alpha R + 1/sC_2} \frac{sC_2}{sC_2} = \frac{\alpha R}{1 + \alpha RC_2 s}$$



$$Z_T = Z_1 + Z_2 = \frac{sR_oC_1 + 1}{sC_1} + \frac{\alpha R}{1 + \alpha RC_2 s} = \frac{(sR_oC_1 + 1)(1 + \alpha RC_2 s)}{sC_1(1 + \alpha RC_2 s)} + \frac{\alpha RC_1 s}{sC_1(1 + \alpha RC_2 s)}$$

$$= \frac{(1 + sR_oC_1)(1 + \alpha RC_2 s) + \alpha RC_1 s}{sC_1(1 + \alpha RC_2 s)}$$

$$H(s) = \frac{(1-\alpha)R}{(1-\alpha)R + Z_T} = \frac{(1-\alpha)R}{(1-\alpha)R + \frac{(1 + sR_oC_1)(1 + \alpha RC_2 s) + \alpha RC_1 s}{sC_1(1 + \alpha RC_2 s)}}$$

$$= \frac{(1-\alpha)RsC_1(1 + \alpha RC_2 s)}{(1-\alpha)RsC_1(1 + \alpha RC_2 s) + (1 + sR_oC_1)(1 + \alpha RC_2 s) + \alpha RC_1 s}$$

```

function bypassed_volume_pot(Ro,C1,C2,Rpot,beta)
% bypassed_volume_pot
% Computes and plots frequency response for a bypassed
% volume pot in a tube
amp.
% Assumptions:
% (i) previous stage modeled as output resistance Ro
% (ii) next stage is modeled as infinite resistance
%
% Inputs:
% Ro = output resistance of previous stage (in ohms)
% C1 = coupling cap from previous stage (in uF)
% C2 = bypass cap (in pF)
% Rpot = volume pot resistance (in ohms)
% beta = "percent up" on volume pot (beta = 1 is full up)
%
% Output: Plot of frequency response

C1 = C1*1e-6;
C2 = C2*1e-12;

f=logspace(1,5,10000);
w=2*pi*f;
s=j*w;

alpha = 1 - beta;

%%% Z1 = series combo of Ro and C1 impedance
Z1 = Ro + 1./(s*C1);

%%% Z2w = parallel combo of alpha*Rpot and C2 impedance
%%% ("w" means "with" the bypass)
Z2w = ( (alpha*Rpot)./(s*C2) )./( alpha*Rpot + 1./(s*C2));

```

```

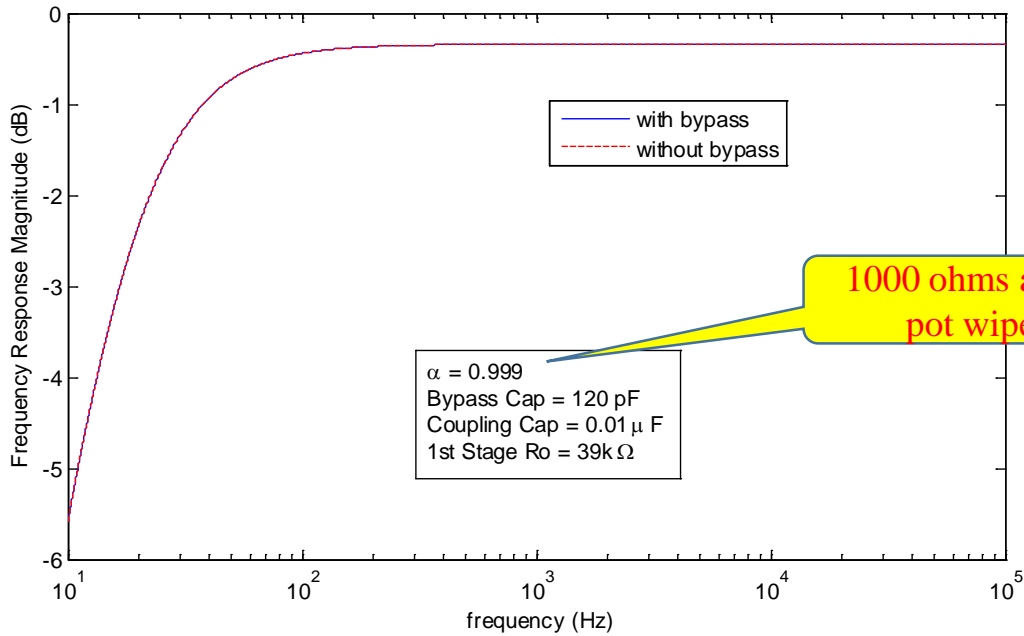
%%% Z2wo = alpha*Rpot
%%% ("wo" means "withOUT" the bypass)
Z2wo = alpha*Rpot;

%%% Z_T = series combo of Z1 and Z2
Z_Tw = Z1 + Z2w;
Z_Two = Z1 + Z2wo;

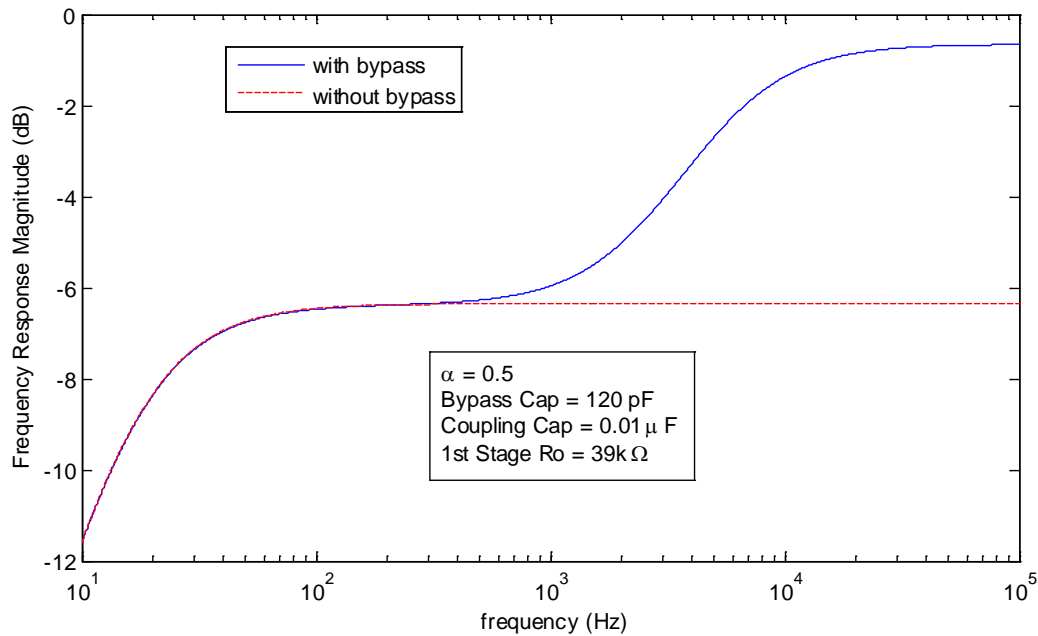
%%% Now find freq response via voltage divider:
Hw = (1-alpha)*Rpot./( Z_Tw + (1-alpha)*Rpot );
Hwo = (1-alpha)*Rpot./( Z_Two + (1-alpha)*Rpot );

semilogx(f,20*log10(abs(Hw)), 'b', f, 20*log10(abs(Hwo)), 'r--')
end

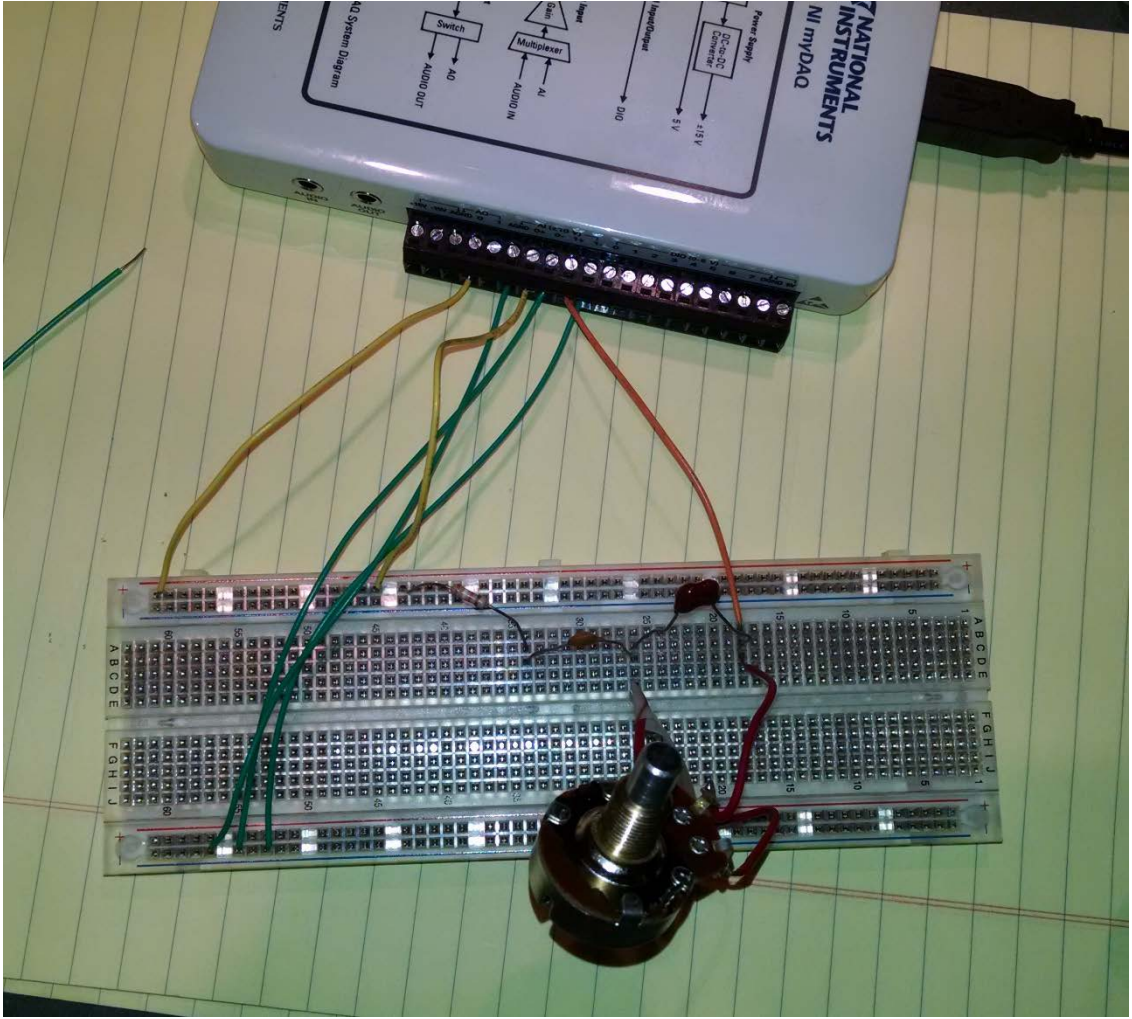
```

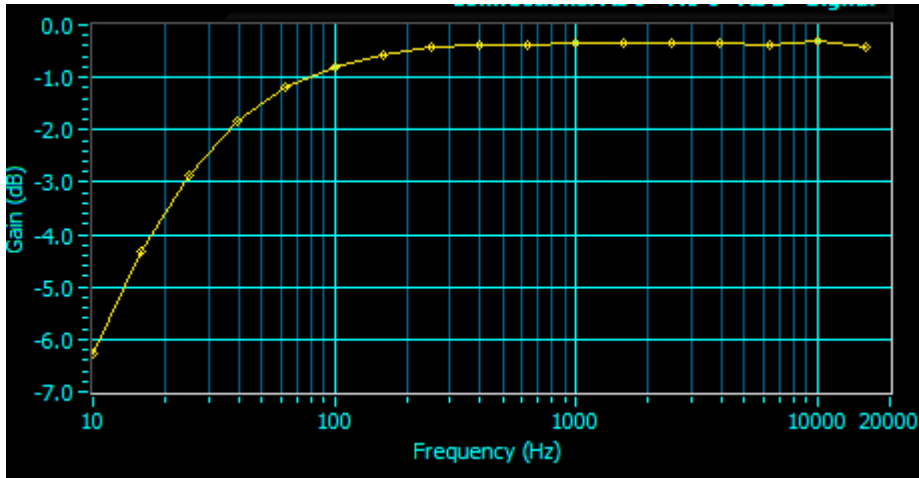


Almost
Full
Volume

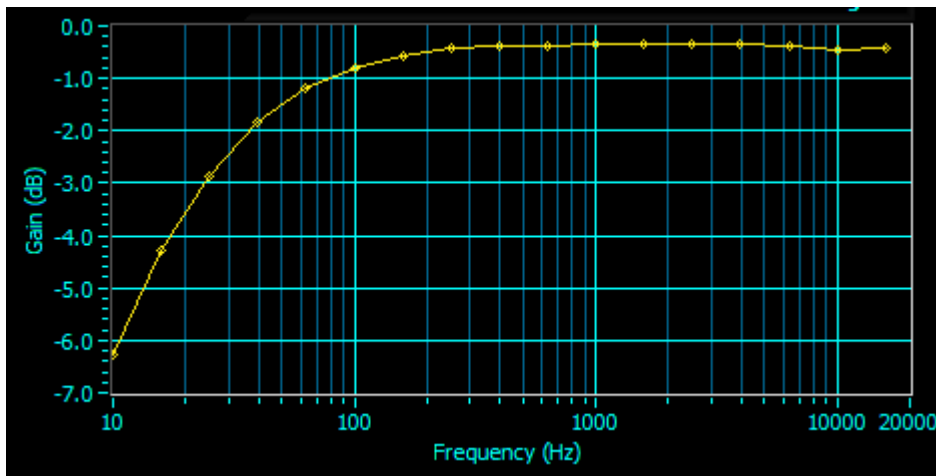


“Half”
Volume

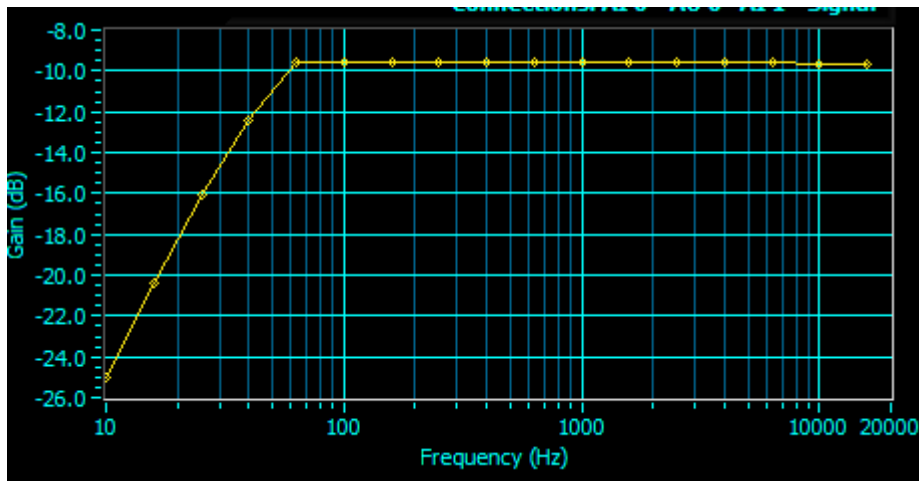




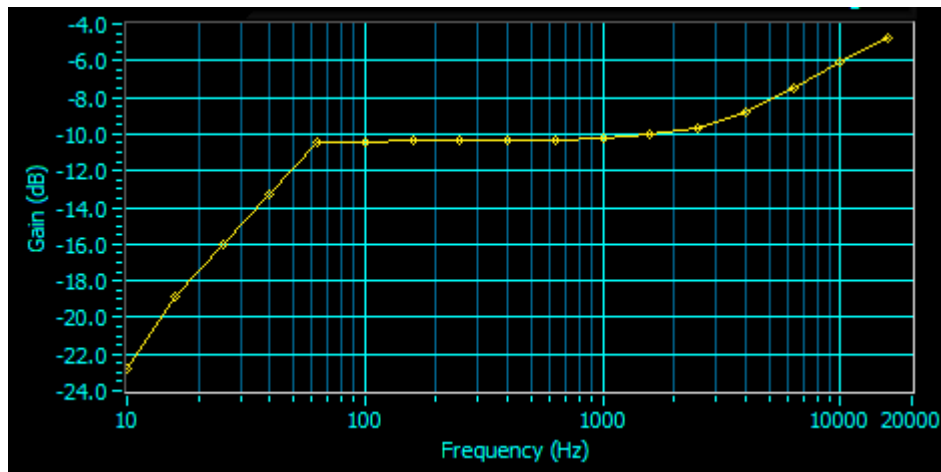
Full Volume
Without Bypass



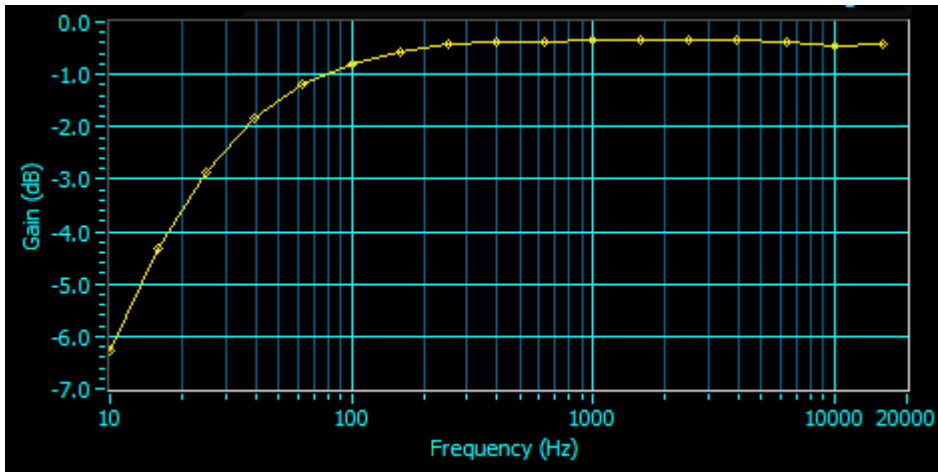
Full Volume
With Bypass
(120 pF)



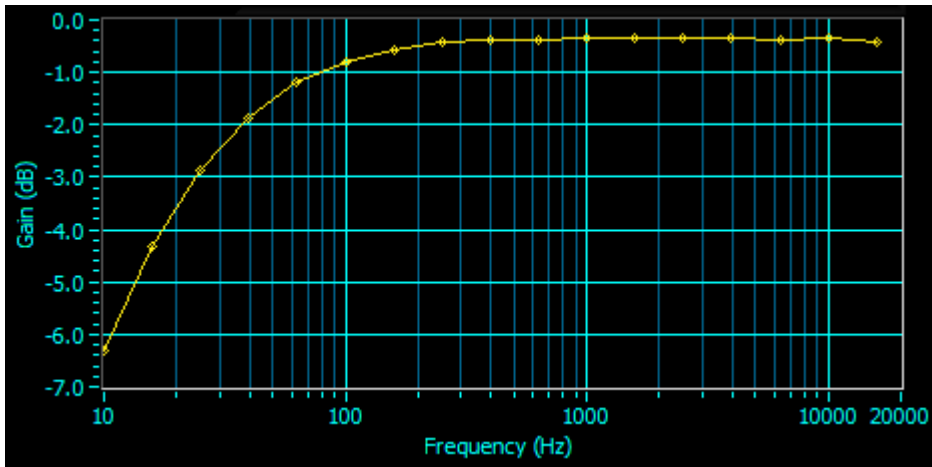
Low Volume
Without Bypass



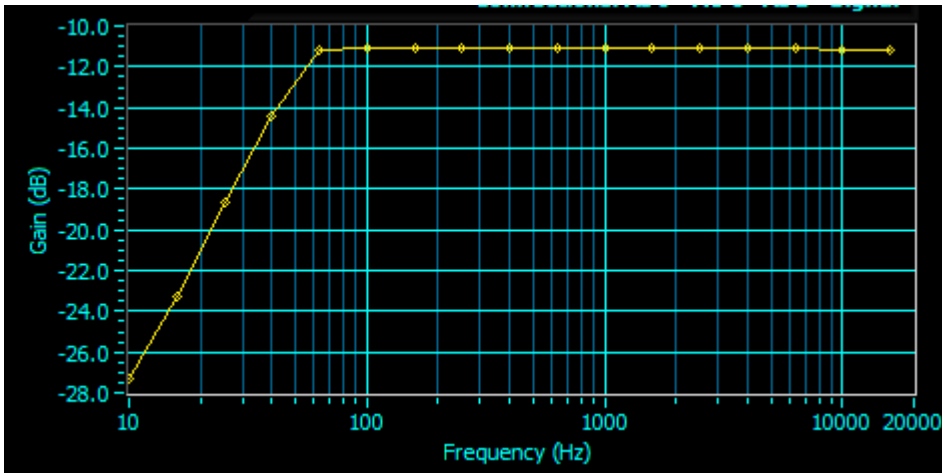
Low Volume
With Bypass
(120 pF)



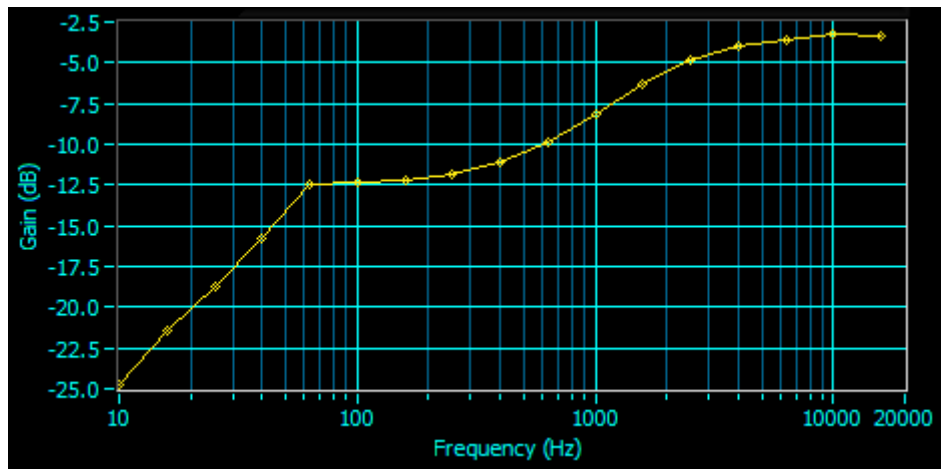
Full Volume
Without Bypass



Full Volume
With Bypass
(1000 pF)



Low Volume
Without Bypass



Low Volume
With Bypass
(1000 pF)